

Searching for large dark matter clumps using the Galileo Satnav clock variations



B. Bertrand, P. Defraigne

Royal Observatory of Belgium

P. Delva, A. Hees, P. Wolf

SYRTE, Observatoire de Paris, CNRS, LNE, PSL & Sorbonne Université

J. Chabé, C. Courde

Université Côte d'Azur, CNRS, Observatoire de la Côte d'Azur, IRD, Géoazur

J. Ventura-Traveset

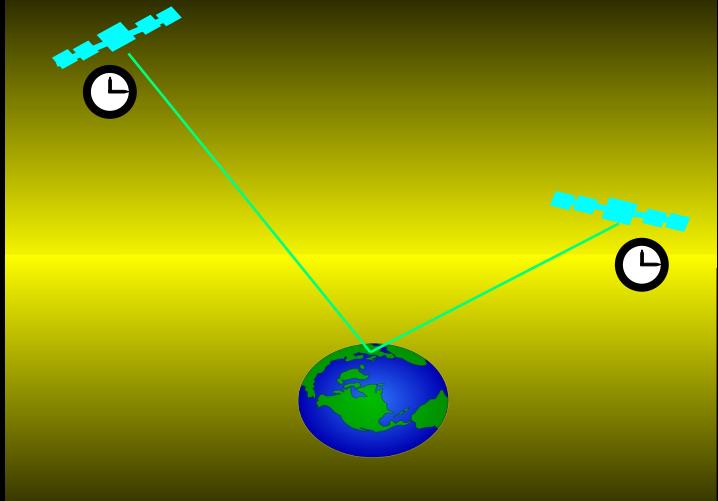
ESA, Centre Spatial de Toulouse

F. Dilssner, E. Schoenemann

ESA, ESOC

L. Mendes

ESA, ESAC



Journées 2023: Temps et Relativité Générale
Nice, 13th September

The work reported in this paper has been performed and fully funded under a contract of the European Space Agency in the frame of the EU Horizon 2020 Framework Programme for Research and Innovation in Satellite Navigation. The views presented in the paper represent solely the opinion of the authors and should be considered as R&D results not necessarily impacting the present and future EGNOS and Galileo system designs.





Use atomic clocks onboard Galileo satellites to **test transient variations of fundamental constants**

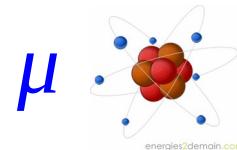
The fine structure constant



Strength of the
electromagnetic interaction

$$\alpha = \frac{1}{4\pi\varepsilon_0} \frac{e^2}{\hbar c} \approx \frac{1}{137}$$

Proton-to-electron
mass ratio

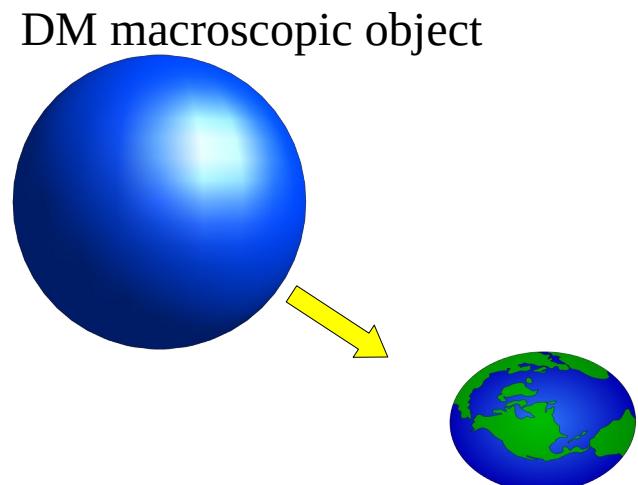


$$\mu = \frac{m_p}{m_e} \approx 2000$$



Dark matter (DM) models as a **test bench** of our method

- Recent investigation: DM could be on the form of clusters or macroscopic structures.
- Such structures could cross regularly the Earth!
=> **DM transients**





Apparent spacetime variation of fundamental constants

Effective fermion mass $m_f^{\text{eff}}(x) = m_f^0 (1 + \Gamma_f \varphi^2(x))$

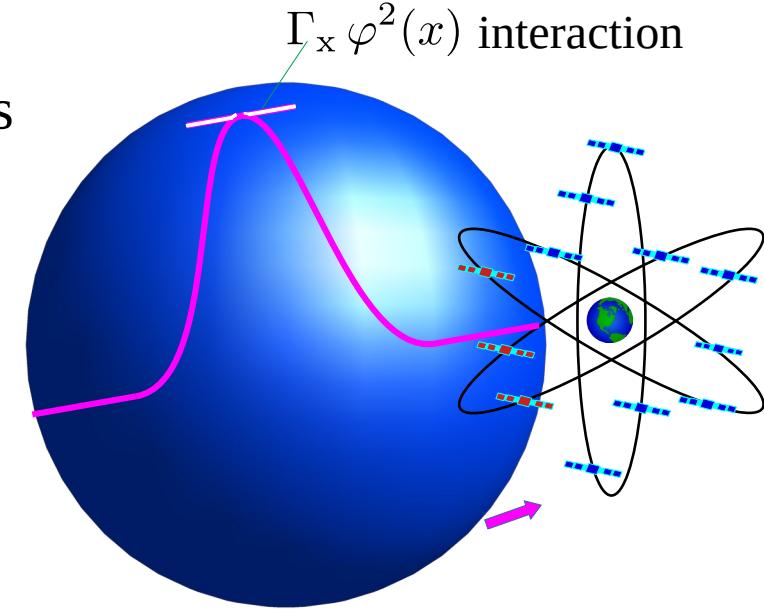
Effective fine structure constant

$$\alpha_{\text{eff}}(x) = \alpha_0 (1 + \Gamma_\alpha \varphi^2(x))$$

Γ_x characterises the strength of the coupling between the DM field and electromagnetism/fermions

$$\Gamma_x \equiv \Gamma_\alpha \text{ or } \Gamma_f$$

$\varphi(x)$ dark matter scalar field





Galileo: a giant detector for new physics

Shift in energy levels inside the transient



Transient shift in H-maser clock frequencies

$$\frac{\omega(t) - \omega_0}{\omega_0} = \kappa_\alpha \frac{\Delta\alpha(t)}{\alpha_0} + \sum_f \kappa_f \frac{\Delta m_f(t)}{m_0}$$

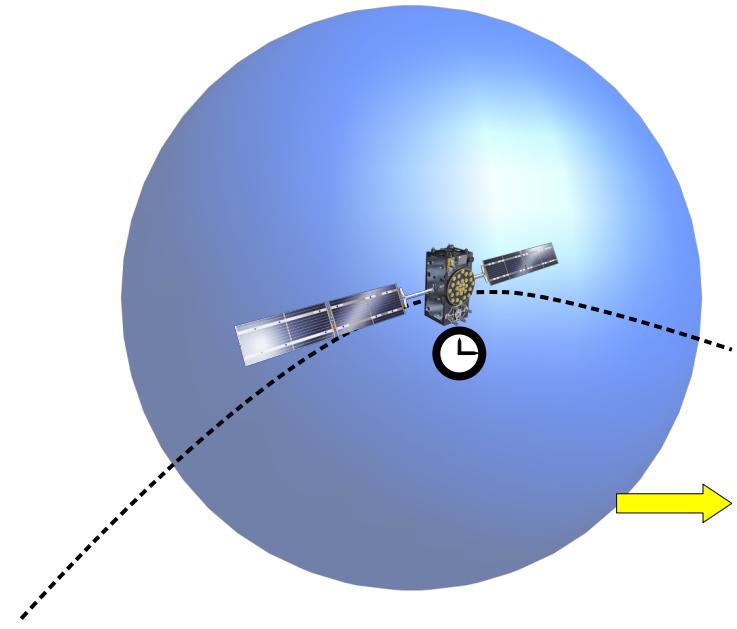
Sensitivity coefficients

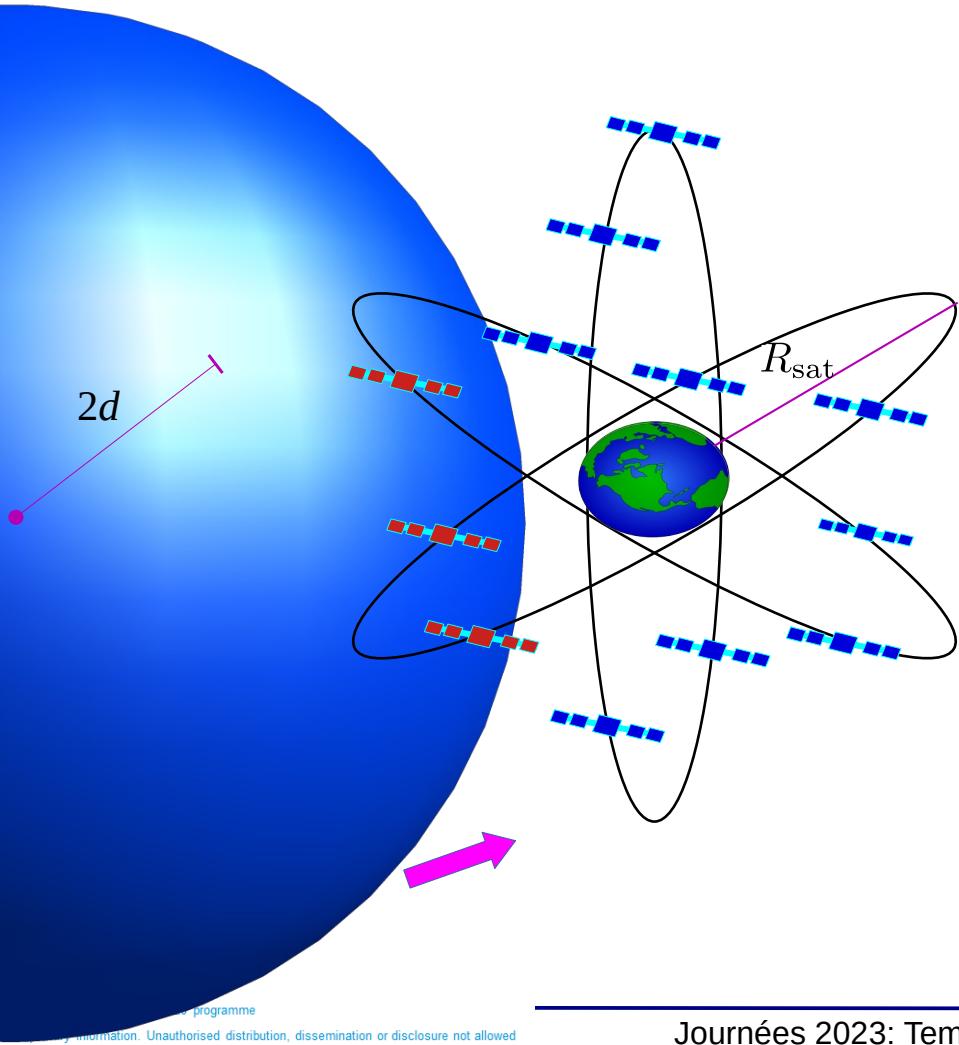
A. Derevianko & M. Pospelov, Nature Phys., vol.10, 2014

M. Pospelov et al., Phys. Rev. Lett. 110, 2013

L. Visinelli & J. Redondo, arXiv:1808.01879, 2018

A. Banerjee et al., arXiv:1902.08212, 2019

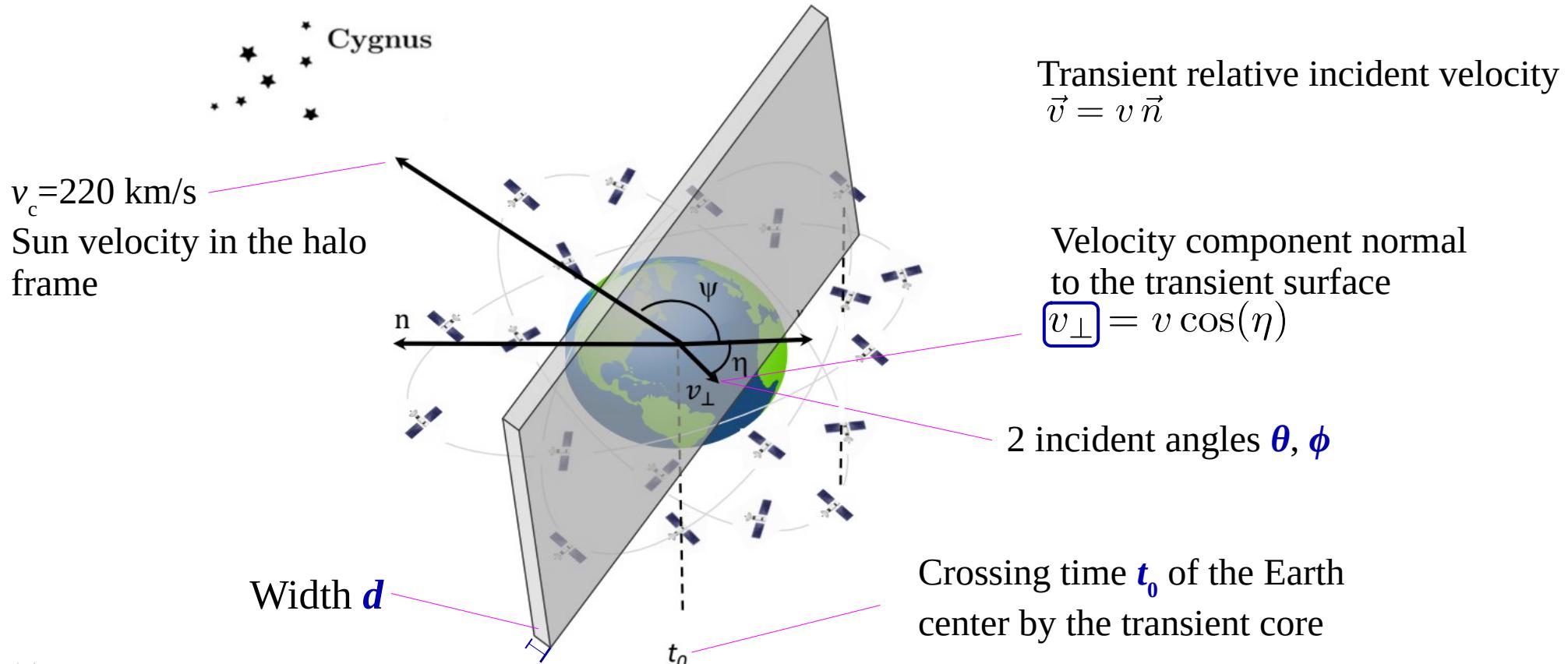




Large transient: $2d \gg 30\,000 \text{ km} (R_{\text{sat}})$

Approximate the transient variation of fundamental constant with a planar symmetry

Our modeling depends on a set ξ of 5 parameters: $\xi \equiv (d, v_\perp, \theta, \phi, t_0)$

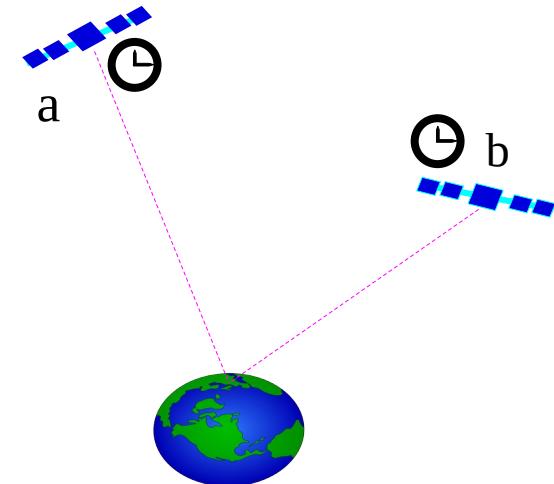
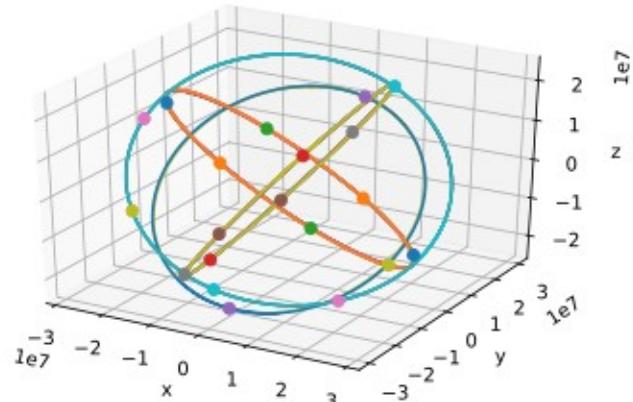




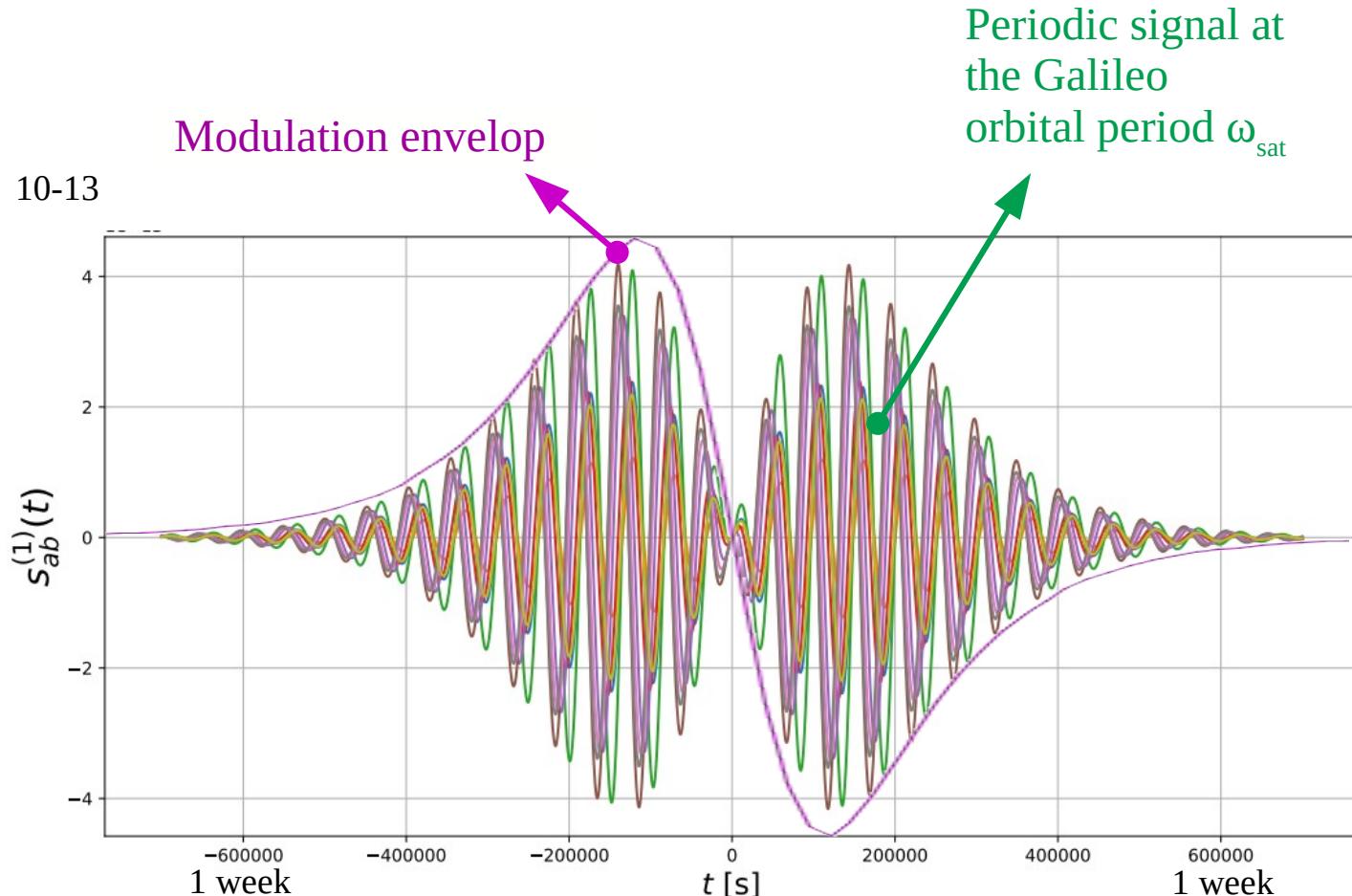
$s_{ab}(t)$ Clock bias between two clocks ‘a’ and ‘b’

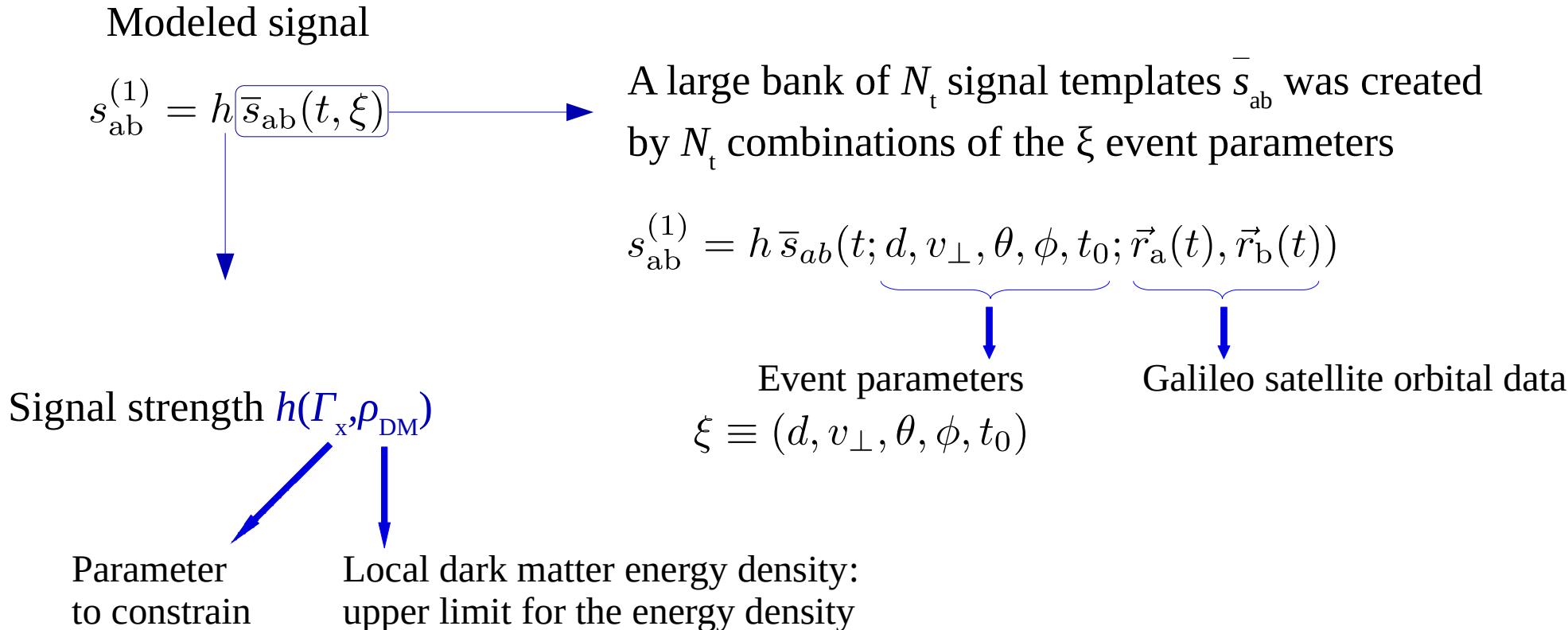
With a time sample $\Delta T = 30\text{s}$

‘Frequency bias’: $s_{ab}^{(1)}(t) = \frac{s_{ab}(t) - s_{ab}(t - \Delta T)}{\Delta T}$



Independent pairs of clocks a,b
As far apart as possible







Covariance Matrix \mathbf{C}^{-1}

Modeled signal $s_{ab}^{(1)} = h \bar{s}_\xi$

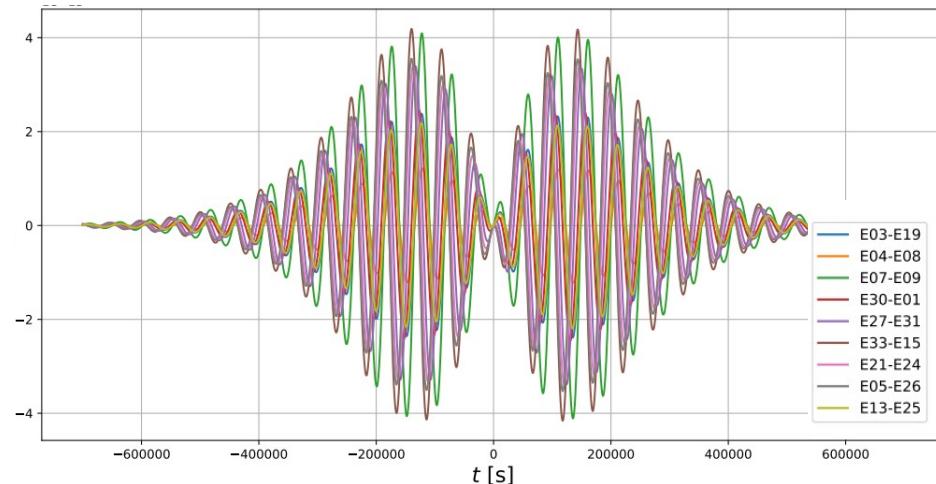
Data series d

Template-dependent signal-to-noise ratio (SNR) ρ_ξ

$$\rho_\xi = \frac{h_\xi}{\sigma_{h_\xi}} = \frac{d^T \cdot C^{-1} \cdot \bar{s}_\xi}{\sqrt{s_\xi^T \cdot C^{-1} \cdot \bar{s}_\xi}}$$

Detection threshold ρ_{thres} with N_t templates $\bar{s}(\xi_i)$ from max-SNR distribution

- Candidate events $\rho[\bar{s}(\xi_i)] > \rho_{\text{thres}}$
- No event in the data stream $\rho[\bar{s}(\xi_i)] < \rho_{\text{thres}} \quad \forall i \in [1, N_t]$



$$d = 10^7 \text{ km}$$

$$t_0 = 720 \text{ h}$$

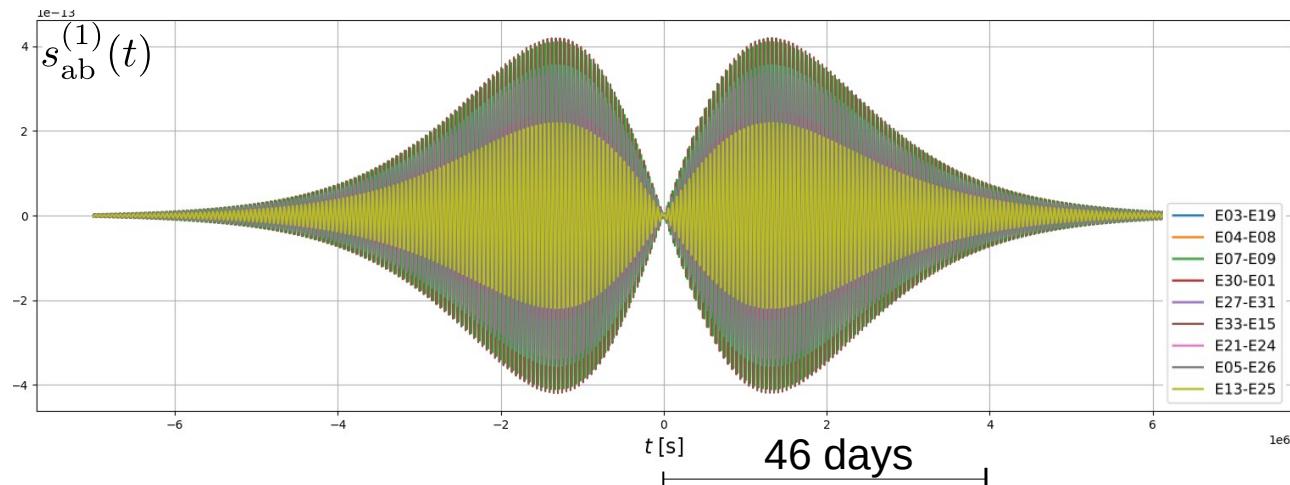
$$v_\perp = 300 \text{ km/s}$$

$$\theta = 45^\circ \quad \phi = 45^\circ$$



Over 1 year of observation, up to 6% of events with $\rho[\bar{s}(\xi_i)] > \rho_{\text{thres}}$ according to the observation epoch

The SNR increases for large transients ($d \sim 10^8$ km) and low velocities ($v_\perp < 100$ km/s)



Simulation of typical observed events

$$d = 10^8 \text{ km}$$

$$v_\perp = 50 \text{ km/s}$$

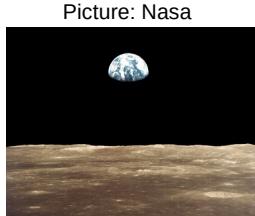


Least likely origin

Known systematic effects not correctly taken into account

Interstellar or extra-galactic known source

New unknown physics like DM interaction



Picture: Nasa

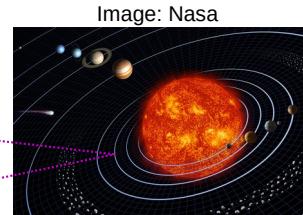


Image: Nasa

Solar radiation pressure (SRP)

...

Earth albedo,
⊕ magnetic field variations

...

Transient variation of
fundamental constants



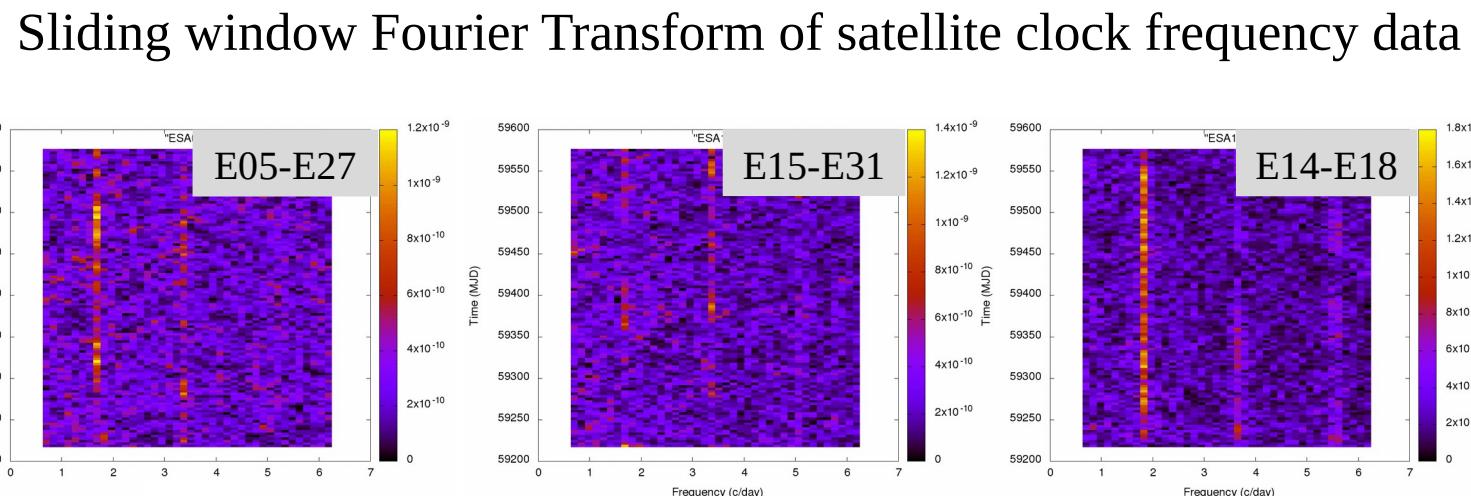
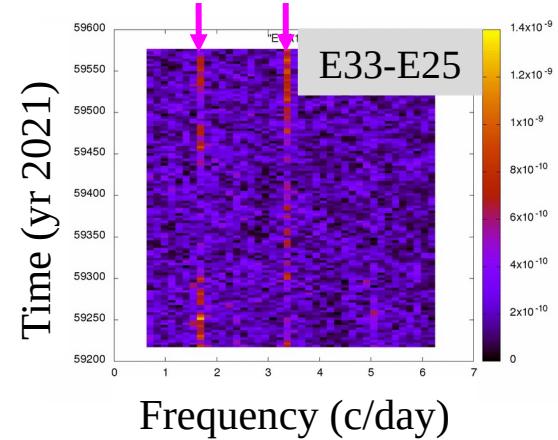
Image:
Jet Propulsion Laboratory

Unknown systematic
effect for GNSS clocks

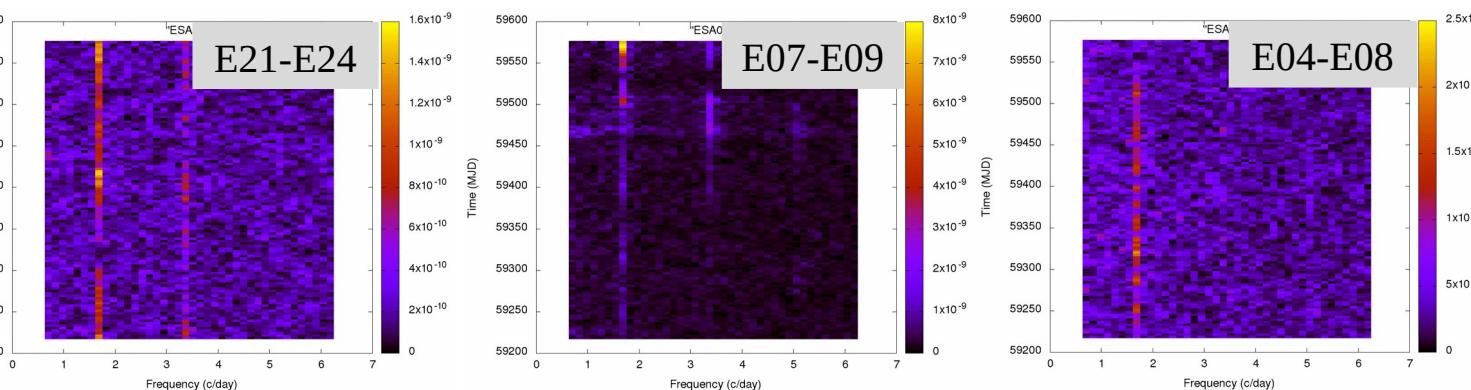
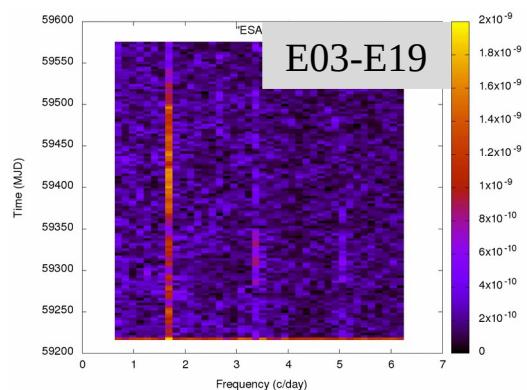
Systematic effects at the orbital period



Orbital period Semi-Orbital period



Frequency (c/day)



Orbital period present in the clock frequency data, with variable amplitude

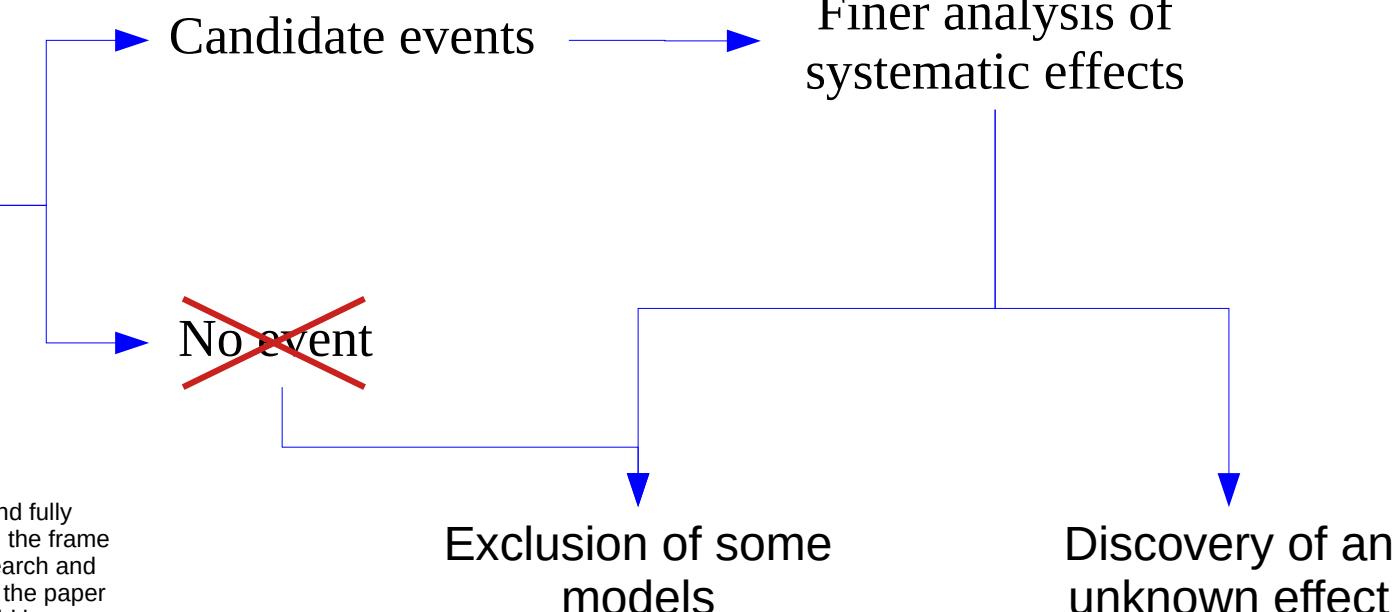


Transients DM
objects

Full time correlation
over the 21 satellites

Statistical SNR threshold

$$\rho_{\text{thres}}$$



Intensive SLR
campaign over
3 months

The work reported in this paper has been performed and fully funded under a contract of the European Space Agency in the frame of the EU Horizon 2020 Framework Programme for Research and Innovation in Satellite Navigation. The views presented in the paper represent solely the opinion of the authors and should be considered as R&D results not necessarily impacting the present and future EGNOS and Galileo system designs.